Lecture 6

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What are the behavioral assumptions we have made?

Follows Dellavigna (2009)

Standard economic theory typically assumes the following behavioral model:

- Individuals act in their own benefit consistently across time (utility maximization).
- Individuals use the information available to them and process it correctly (rational expectations).

These assumptions are strong, but they make problems tractable and provide a reference point. To paraphrase:

Rational people are all alike, every irrational person is irrational in his/her own way.

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An example of a (controversial) result of the "revolution" they started is the efficient markets hypothesis, which says the price of a financial asset reflects all relevant available information.

Inattention in Huberman and Regev (2002)



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This was an important change, but the problem is that we don't really believe people act this way.

People seem to have inconsistent discount rates (prefer immediate gratification):

- DellaVigna and Malmendier (2006) finds that people overpay for health club memberships because they think they'll go more than they do.
- When given the chance, people set commitment devices for themselves and perform better.
- People respond "too much" to credit card teaser rates (they think they won't borrow past the teaser).

Kahneman and Tversky

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- Losses are weighted more heavily than gains (housing market).
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There is a disease in a town of 600 people. If program A is adopted, 200 people will be saved. If program B is adopted there is a 1/3 chance that 600 people will be saved and a 2/3 chance that no one will be saved.

If program C is adopted 400 people will die. If program D is adopted there is 1/3 chance that nobody will die and 2/3 chance that 600 people will die.

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72% of people choose A and 22% of people choose C. What matters is the reference point.

People seem to have significant social preferences:

- Dictator game
- ▶ Workers work harder when given a gift (even if it's a thermos).

Gneezy and List (2006)



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People have "systematically incorrect" beliefs:

- Overconfidence
- Law of small numbers
- Inattention

Overconfidence in CEOs is the subject of Malmendier's paper:

- CEOs who hold onto their stock options overconfident
- Overconfident CEOs invest in too many projects and over-value mergers
- They also view external financing as too expensive (own company is undervalued) so they invest out of internal cash

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Imagine an urn with 10 balls, five red and five black. The observer sees balls drawn from this urn but believes the draws to be *without* replacement. In reality the balls are drawn with replacement.

- After two black balls the actual probability of another black is .5.
- ▶ But the observer believes the probability of another black is 3/8.

A big question with all of these behavioral findings is: do they really matter?

Do they matter for output, asset prices, unemployment, etc?

One attempt to show they matter for investor behavior is Malmendier and Nagel (2011): "Depression Babies: Do Macroeconomic Experiences Affect Risk Taking?" The question: how does my experience of the return on the stock market affect my willingness to invest in the stock market?

There are several possibilities:

- They don't matter, what matters are the fundamentals of the asset market
- If they do matter, there are several ways that they can matter
 - All experiences are weighted equally
 - More recent experiences are weighted more
 - Early (formative) experiences are weighted more

To answer this question Malmendier and Nagel use:

- Data on individual investor decisions, attitudes, and demographics
- A proxy for individuals' experiences of the stock market

The proxy, what we will call "experienced returns," is defined as:

$$A_{it}(\lambda) = \sum_{k=1}^{\deg_{it}-1} w_{it}(k,\lambda) R_{t-k}$$
(1)

where

$$w_{it}(k,\lambda) = \frac{(age_{it}-k)^{\lambda}}{\sum_{k=1}^{age_{it}-1}(age_{it}-k)^{\lambda}}$$
(2)

What is the role of λ ?



Household Head

So how do we figure out the right λ ?

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Using non-linear estimation methods (don't worry about it) we can estimate the following:

$$y_{it} = \alpha + \beta A_{it}(\lambda) + \gamma' x_{it} + \epsilon_{it}$$
(3)

where y is some outcome for individual i at time t, x is a vector of individual demographic controls, and β is the weight significance of experienced returns. The outcomes we are interested in are:

- Elicited risk tolerance (people report how willing they are to take a risk)
- Stock market participation
- Stock market expectations

The results are very significant:

- λ ∈ [1.1, 1.7] meaning more recent experiences matter more (but old experiences matter too).
- Bad experiences make you much more likely to be risk averse
- Bad experiences make you much less likely to participate in the stock market
- ► A one percent decrease in your experienced returns means you expect a about .5 percent lower future returns.



Figure 2: Sample Experienced Returns ($\lambda = 1.5$)

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FIGURE IV

Average Experienced Real Stock Returns (λ = 1.50) and P/E Ratio of the S&P 500 Index 1946–2007

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